

To this it is answered, that tho' each of these, be equal to an *infinite* Number of Unities, yet the Spaces are not equal, because that *infinite* Number, is not the same in both, and the reason why that *infinite* Number, is not the same in both, is because (tho' both FC and FG meet at an *infinite* Distance, with AB , yet) FC meets sooner with AB , than FG with AB , i. e. Supposing the Distance between A and B (the Concourse of FD and AB) = ∞a , and the Distance between A and B (the Concourse of FG with AB , if I may be allow'd to speak so) = ∞b , then b will be greater than a . And consequently we shall have $AFDCB = 1 + 1 + 1 + 1 + 1$, &c. = $\infty c \times 1$, and $AFGB = 1 + 1 + 1 + 1 + 1$, &c. = $\infty d \times 1$, where d , is greater than c and therefore $AFGB > AFDCB$. Not only so, but a *Parallelogram*, whose Breadth is 1, and whose Length is ∞a , (or the Distance between A and the Concourse of FC with AB) is greater, than the *Hyperbolic Area*. To make this yet more plain, let $AK = GL$

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