



Brevitatis gratiâ notæ quædam adhibentur, quarum hîc
subjungitur interpretatio.

$A + B.$	<i>hoc est</i>	$A \& B$ simul acceptæ.
$A - B.$		A , demptâ B .
$A - : B.$		differentia ipsarum A , & B .
$A \times B.$		A multiplicata, vel ducta in B .
$\frac{A}{B} -$		A divisa per B , vel applicata ad B .
$A = B.$		A æquatur ipsi B .
$A \sqsupset B.$		A major est quàm B .
$A \sqsubset B$		A minor est quàm B .
$A.B :: C.D$		A ad B eandem rationem habet, quàm C ad D .
$A, B, C, D \div$		A, B, C, D sunt continuè proportionales.
$A.B \sqsupset C.D.$		A ad B majorem rationem habet, quàm C ad D .
$A.B \sqsubset C.D.$		A ad B minorem rationem habet, quàm C ad D .
$A.B \pm C.D$	$=$ $\sqsupset$ $\sqsubset$	$\left\{ \begin{array}{l} M.N. \text{ Rationes } A \text{ ad } B, \\ \& C \text{ ad } D \text{ compositæ} \end{array} \right\} \left\{ \begin{array}{l} \text{adequant} \\ \text{excedunt} \\ \text{deficiunt à} \end{array} \right\} \left\{ \begin{array}{l} \text{ratione } M \\ \text{ad } N. \end{array} \right\}$
$Aq.$		Quadratum ex A .
$\sqrt{A}.$		Latus, vel radix quadrata ipsius A .
$Ac.$		Cubus ex A .
$\sqrt{Aq} + Bq.$		Latus compositi ex Aq & Bq .
Reliquas, si quæ occurrunt, abbreviaturas Lector facili conjecturâ capiet, præsertim in analysi tantillùm versatus.		

Le&.