Spharæ superficiem ~~p~~ V posito A V C ~~ACC~~ ≃ A C et esse A amit Paliquod V

~~planum~~ ~~Z Z~~ ~~si Z p = Z C~~ ~~pos si ponat~~ V Z·F ≃ Z·G

~~si Omne V sit V et omne V de Z erit Z sectio communis plani et superficiei~~

~~Spharica scilicet circumferentia circuli~~ ~~centrum habentis C, polos A et B,~~

~~posito A esse A et B esse V~~

~~Si p et L sint C C et erunt p sint V erunt positi circuli V~~

~~Si sit B aliquod V et C unum A·B~~ et

Si A et B sint ex ipsis V, et C ipsis in directum, et centro C

~~Si A et C~~ Circulus per A·B ~~accurrentes~~ transiens moveatur immotis A et B

~~describet superficiem sphæricam~~ ~~illude~~ ~~pot~~ A, B, erunt poli

Hinc ~~erit~~ ~~AC+CB=AC~~ ~~et~~ ~~A, B, C unica inter se~~ ~~idem~~ quiescent

~~sibi A et B positæ~~ recta per A, B, ~~idem~~ et C. ~~tota~~ recta dicatur

Axis Hinc si punctum rectæ AB, quocunq; sit X, ~~est~~ ~~&~~ A·B·X.

~~sua retat~~ unica inter se

positæ ~~Z~~ et ideo ~~motis A~~ quiescentibus A, B

~~Z~~. et Cent ~~alia~~ aliquod X Hinc X, vel AXB erit Axis

erit et AX + XB = AB et ideo AC + CB = AB

~~Circuli~~ ~~centrum~~ quodcunq; vocetur Z

Circulus Z cadit in sphæram ~~unstantes~~ durante motu, ~~sqn~~ Z ~~ejus~~

~~superficiem~~ cadit in superficiem sphæræ. Nam quia ~~A C~~ circuli transit

~~superficiem~~ ~~alle~~ et centrum habet C ex hyp. erit & ZC = AC ergo omne

Z ~~est~~ in X et omne Z est in Y vel Z est in Y

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